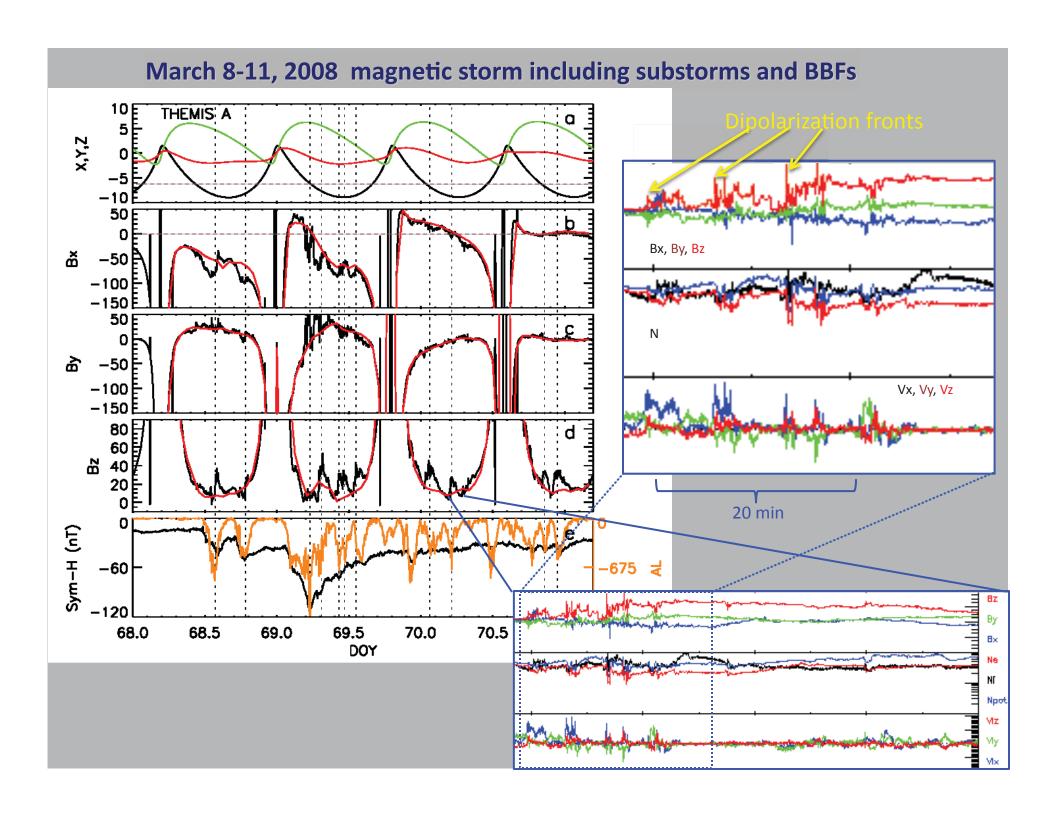




# Dipolarization Fronts and Onset of Reconnection in the Magnetotail

#### M. I. Sitnov<sup>1</sup> and M. Swisdak<sup>2</sup>

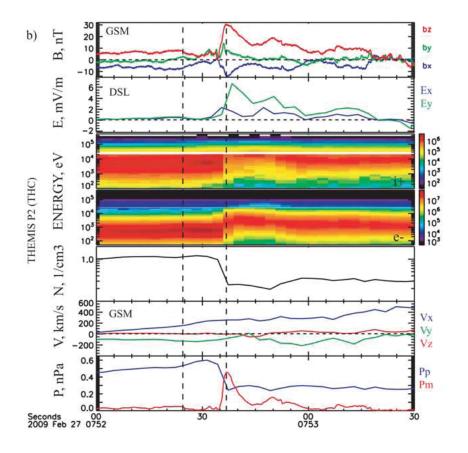
- <sup>1</sup>) Johns Hopkins University Applied Physics Laboratory, USA
- <sup>2</sup>) University of Maryland, College Park



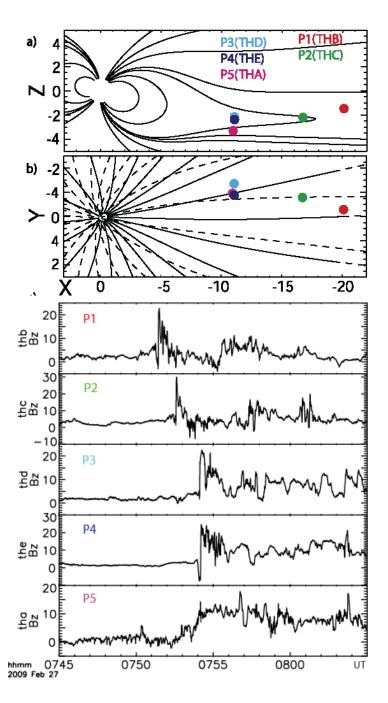
## **Dipolarization front observations**

THEMIS studies (e.g., Runov et al., 2009, 2011) showed that DFs couple active processes in the midtail with similar activity in its near-Earth region

Multi-probe high-resolution observations showed that DFs are microscopic structures ( $^{\sim}1\rho_{0i}$ ) that propagate over macroscopic distance ( $^{\sim}10R_{F}$ ).



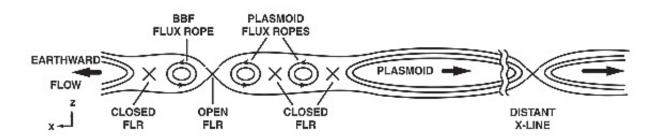
#### Runov et al. (2009)



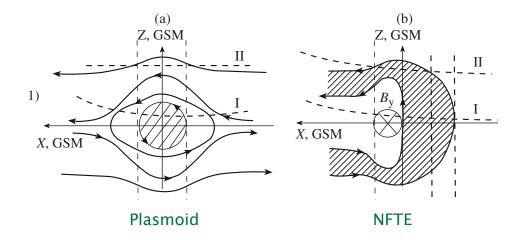
Understanding of the DF mechanism may be a key to understanding of substorms.

It may also help better understand more fundamental plasma physics processes such as magnetic reconnection.

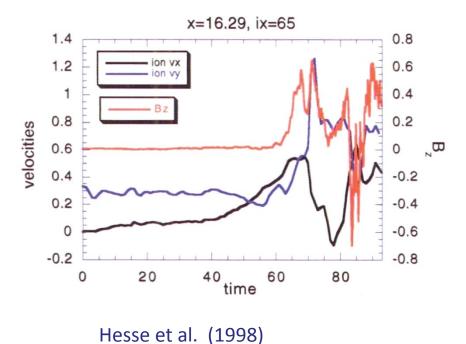
Secondary plasmoids (Slavin et al., 2003)



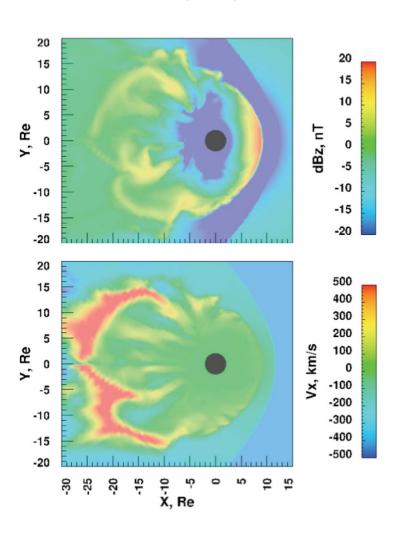
Nightside Flux Transfer Events (Sergeev et al., 1992; Sormakov and Sergeev, 2008; Semenov et al., 2005)



DFs are reproduced in MHD and hybrid simulations of magnetic reconnection (Fujimoto et al., 1996; Hesse et al., 1998; Wiltberger et al., 2000; Nakamura et al., 2002; Krauss-Varban and Karimabadi, 2003; Ashour-Abdalla et al., 2010; Birn et al., 2011) when it is triggered by a localized resistivity



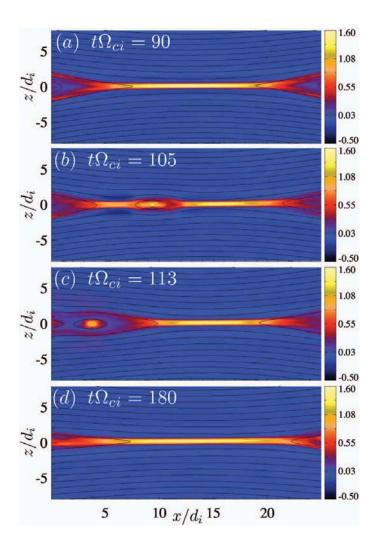
Merkin (2010)

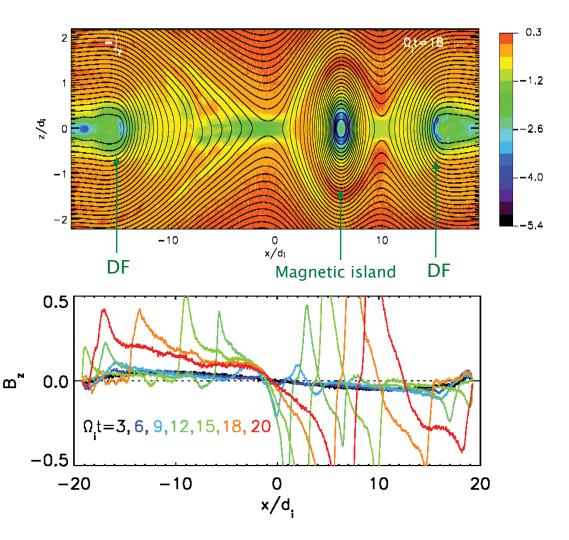


#### **DFs are largely not seen in PIC simulations**

Unsteady reconnection with secondary plasmoids (Daughton et al., 2006). Initial state: Perturbed 1D Harris equilibrium (GEM Reconnection Challenge (Birn et al., 2001)

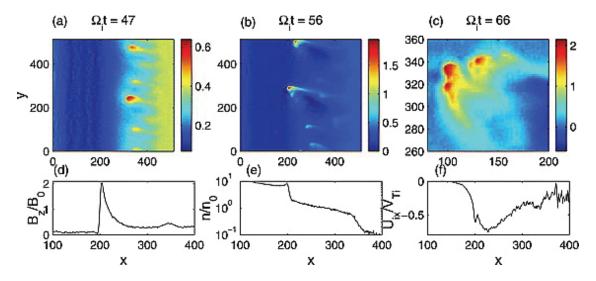
Few exceptions: DFs are observed in 2D equilibria with external driving field strongly localized in X within few ion inertial lengths (Pritchett, 2005, 2010) and for relatively strong perturbations of 1D sheet (Sitnov et al., 2009)

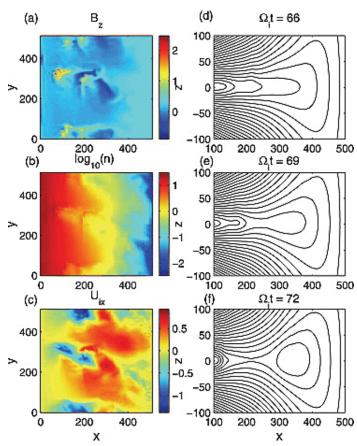




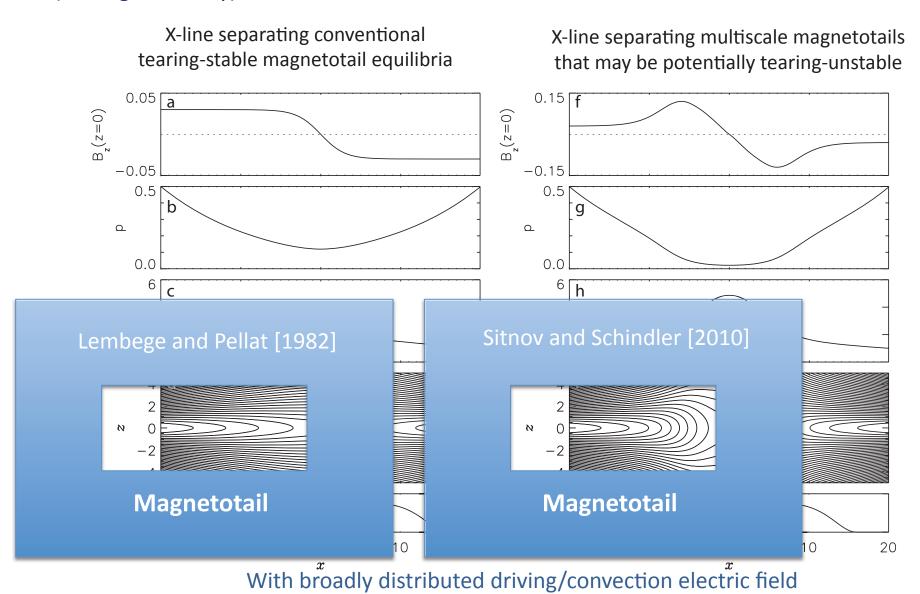
DF formation can be alternatively explained in terms of the ballooning-interchange instability (Zhu et al., 2009; Yang et al., 2011; Hu et al., 2011; Pritchett and Coroniti, 2011) where reconnection appears as its nonlinear consequence (bubble-blob pair formation)

Pritchett and Coroniti (2011): 3D full-particle simulations with closed X-boundaries





Can the DF formation be explained by the onset of spontaneous reconnection in the tail (tearing instability)?



#### **Boundary conditions: Particles**

#### Open boundaries are needed

- to allow the elongation and disruption of the electron diffusion region
- to avoid cutting the flux tube integral, which plays the key role in the tearing

stability

$$\frac{\partial n^{(\alpha)}}{\partial x} = 0$$

$$\frac{\partial \mathbf{V}^{(\alpha)}}{\partial x} = 0$$

$$\frac{\partial \mathbf{V}^{(\alpha)}}{\partial x} = 0 \qquad T^{(\alpha)} = T^{(\alpha)}(t=0), \quad \alpha = e, i$$

Contradicts force balance across the boundary for 2D equilibria

$$j_y B_z \neq 0$$

Additional particle injection:

$$\delta n^{(\alpha)} \propto (\partial/\partial x) n^{(\alpha)} (t=0)$$

#### **Boundary conditions: Fields**

#### Outflow (X)

$$\frac{\partial E_x}{\partial x} = 0 \quad \left( \frac{\partial E_y}{\partial x} = 0 \right) \quad E_z = 0 \quad \frac{\partial B_x}{\partial x} = -\frac{\partial B_z}{\partial z} \quad \frac{\partial B_y}{\partial x} = 0 \quad \left( B_z = B_z (t = 0) \right)$$

Provide free propagation of magnetic flux [Pritchett, 2001]

Inflow (Z) 
$$E_y^{(dr)} = 0.2$$

#### Multiscale current sheet model

(Sitnov and Schindler, 2010)

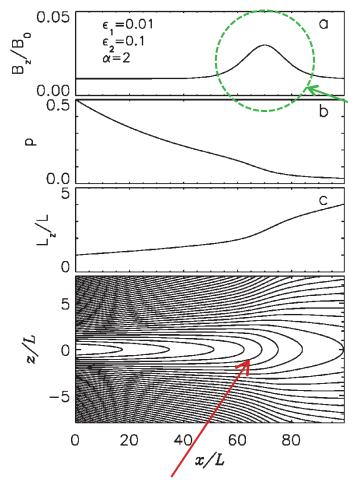
Lembege-Pellat tearing stability criterion

$$\frac{kL_z}{\pi b} > \left(\frac{VB_z}{\pi L_z}\right)^2 \equiv C_d^2$$

$$C_d > 1$$

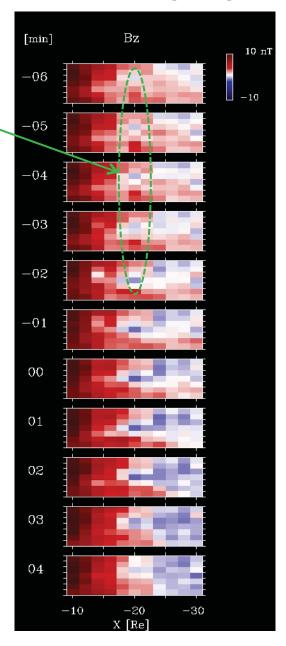
For current sheets with Bz increasing at the tailward end of the thin current sheet

Potentially tearing unstable



flux accumulation region at the tailward end of the extended thin current sheet

#### Machida et al. [2009]

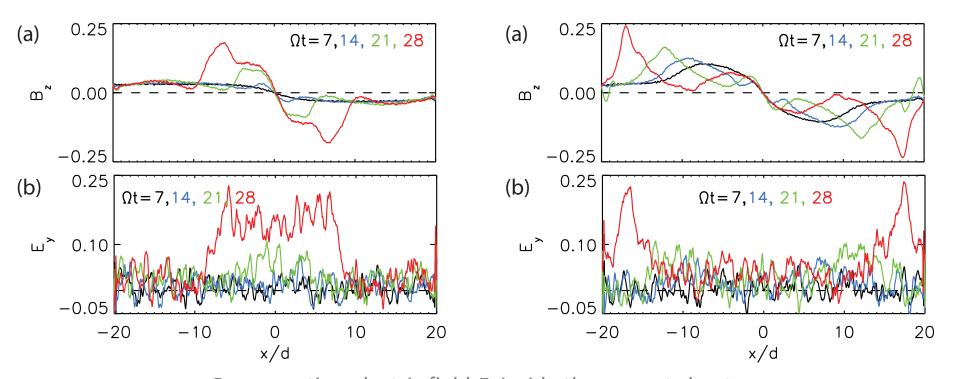


#### Two different reconnection stories

#### Lembege-Pellat tails

#### Multiscale tails

Normal magnetic field  $B_z$  inside the current sheet

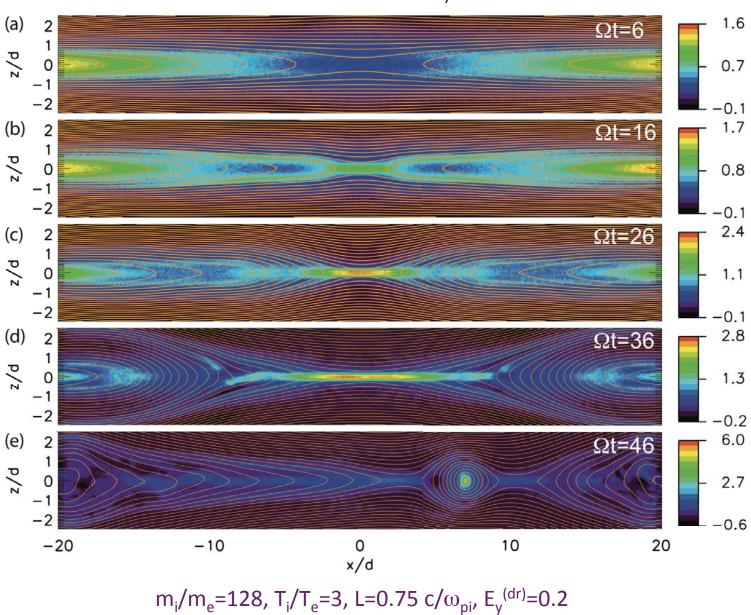


Reconnection electric field  $E_y$  inside the current sheet

$$E_{y}^{(dr)} = 0.2$$

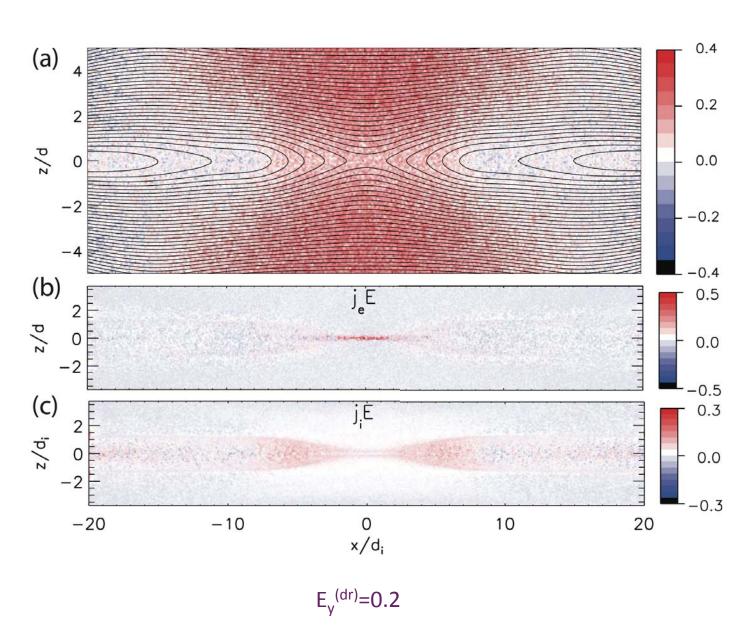
# **Reconnection onset with Lembege-Pellat magnetotails**





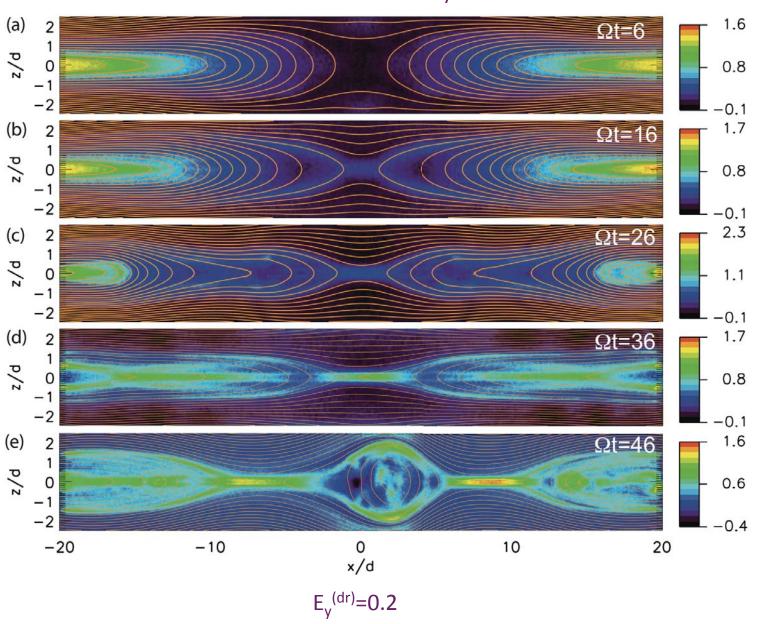
# **Reconnection onset with Lembege-Pellat magnetotails**

Electric field and energy dissipation



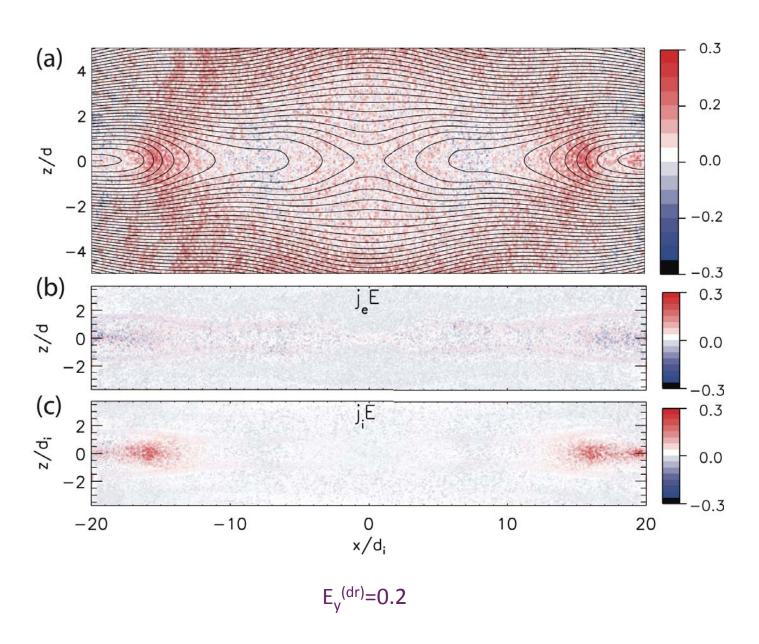
# **Reconnection onset with multiscale magnetotails**



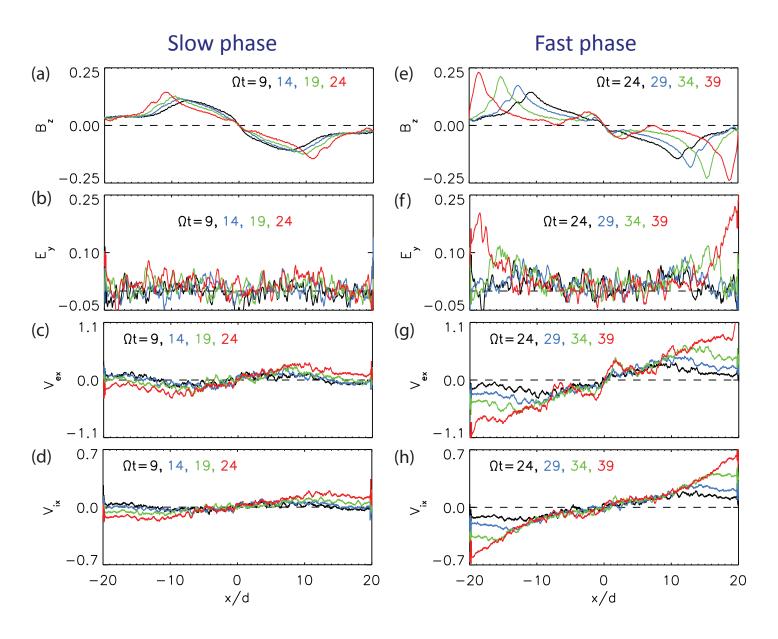


# **Reconnection onset with multiscale magnetotails**

Electric field and energy dissipation

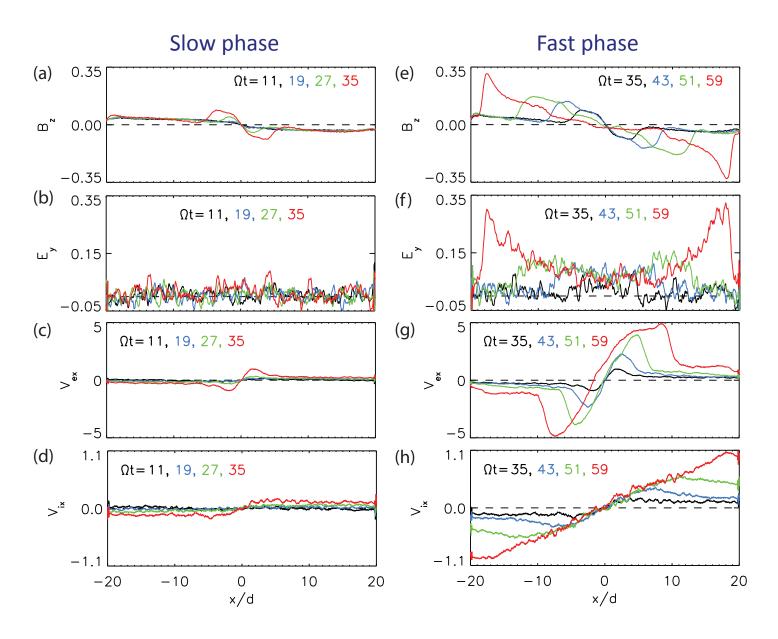


#### Metastable current sheet evolution: Multiscale tails



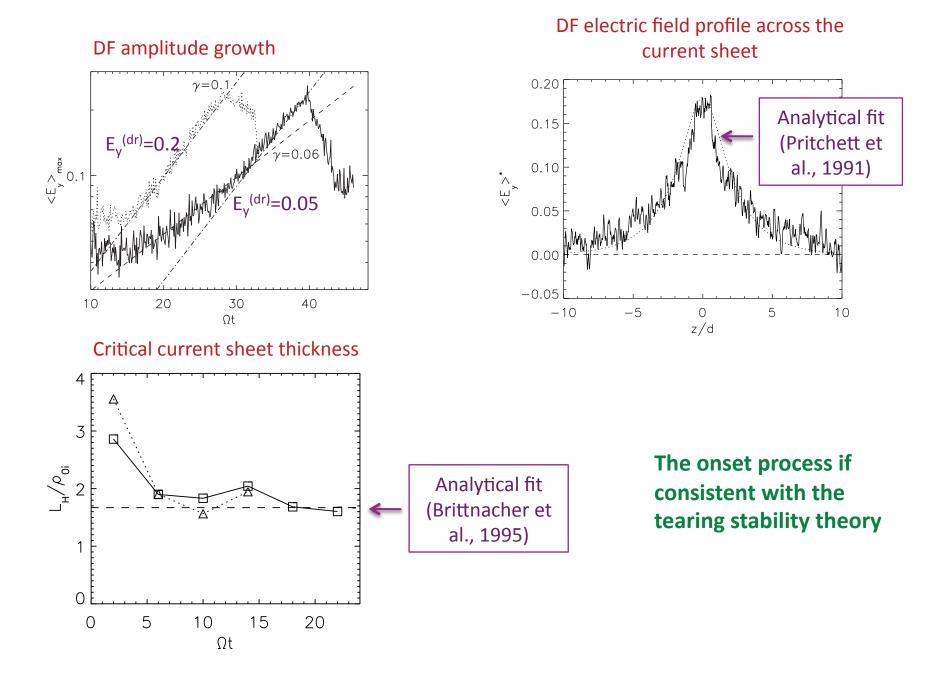
Reduced driving electric field  $E_y^{(dr)}=0.05$ 

## Metastable current sheet evolution: Lembege-Pellat tails

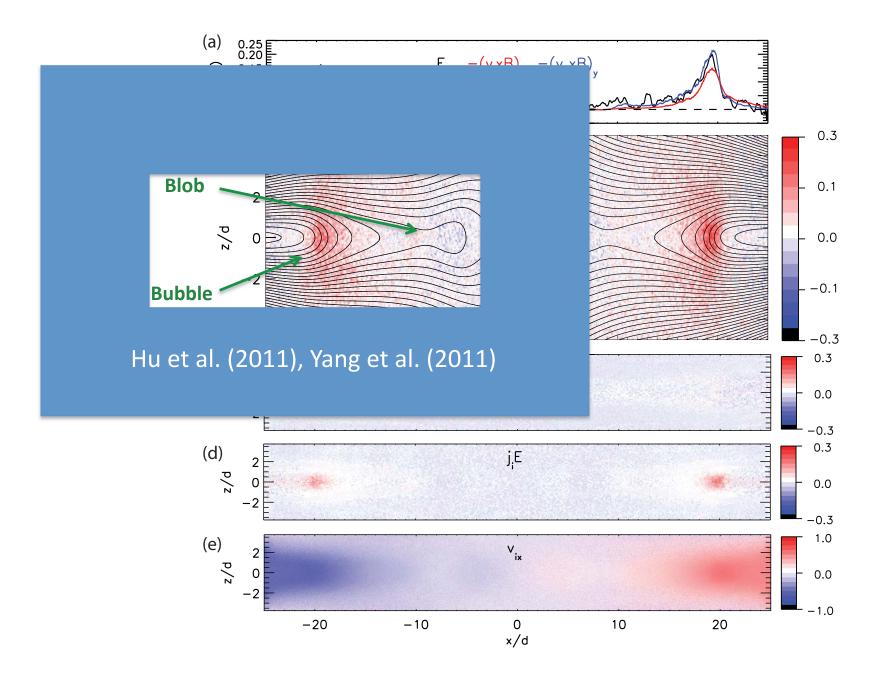


Reduced driving electric field  $E_y^{(dr)}=0.05$ 

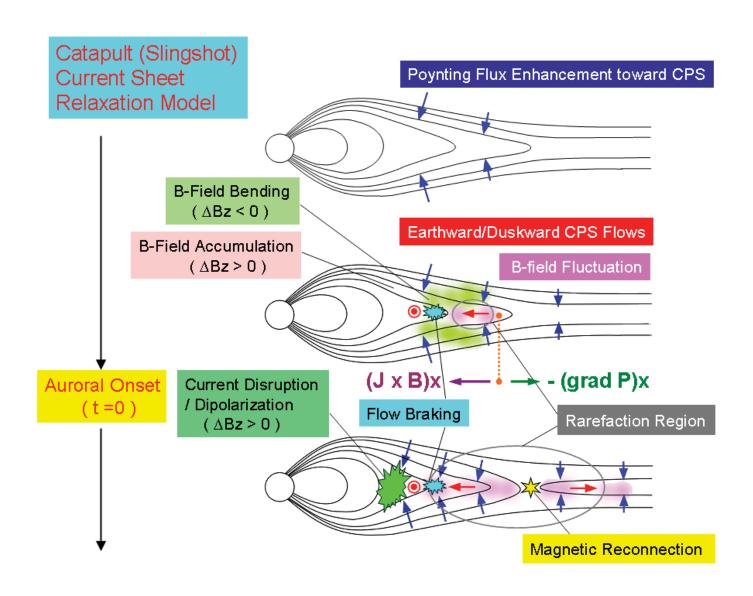
## Transition from slow to fast phase: Is it caused by the ion tearing instability?



## **Bubble-blob formation**



## Catapult current sheet relaxation substorm scenario [Machida et al., 2009]



## **Conclusion**

- Spontaneous reconnection is possible in the magnetotail and it may be a mechanism of substorms (consistent with the outside-in scenario)
- However the main distinctive feature of the magnetotail reconnection onset is the formation of DFs rather than a change of magnetic topology (consistent with one of the main ideas of the current disruption theory)
- New X-lines and their EDRs may form consistent with the bubble-blob pair mechanism (before and after the formation of DFs)